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#### Winter - 19 EXAMINATION

Subject Name: Data Structure Using 'C' Model Answer Subject Code: 22317

# **Important Instructions to examiners:**

- 1) The answers should be examined by key words and not as word-to-word as given in the model answer scheme.
- 2) The model answer and the answer written by candidate may vary but the examiner may try to assess the understanding level of the candidate.
- 3) The language errors such as grammatical, spelling errors should not be given more Importance (Not applicable for subject English and Communication Skills.
- 4) While assessing figures, examiner may give credit for principal components indicated in the figure. The figures drawn by candidate and model answer may vary. The examiner may give credit for any equivalent figure drawn.
- 5) Credits may be given step wise for numerical problems. In some cases, the assumed constant values may vary and there may be some difference in the candidate's answers and model answer.
- 6) In case of some questions credit may be given by judgement on part of examiner of relevant answer based on candidate's understanding.
- 7) For programming language papers, credit may be given to any other program based on equivalent concept.

Q.	Sub	Answer	Marking
No.	Q.		Scheme
	N.		
1.		Attempt any Five of the following:	10M
	а	Write any four operations that can be performed on data structure.	2M
	Ans	1. Data structure operations (Non Primitive)	2 M for any 4
		<b>2. Inserting:</b> Adding a new data in the data structure is referred as insertion.	Operation
		<b>3. Deleting:</b> Removing a data from the data structure is referred as deletion.	
		<b>4. Sorting:</b> Arranging the data in some logical order (ascending or descending, numerically or alphabetically).	
		<b>5. Searching:</b> Finding the location of data within the data structure which satisfy the searching condition.	
		<b>6. Traversing:</b> Accessing each data exactly once in the data structure so that each data item is traversed or visited.	
		<b>7. Merging:</b> Combining the data of two different sorted files into a single sorted file.	
		<b>8.</b> Copying: Copying the contents of one data structure to another.	
		<ul><li>9. Concatenation: Combining the data from two or more data structure.</li><li>OR</li></ul>	



	Data structure operations (Primitive)	
	Creation: To create new Data Structure	
	2. Destroy: To delete Data Structure	
	3. Selection: To access (select) data from the data structure	
	4. Updating: To edit or change the data within the data structure.	
b	Define the term overflow and underflow with respect to stack.	2M
Ans	Stack overflow: When a stack is full and push operation is performed to insert a new element, stack is said to be in overflow state.  Max = 4  B  C  B  C  B  C  B  C  B  C  C  B  C  C	1 M for stack overflow and 1M for stack underflow
	Stack underflow: When there is no element in a stack (stack empty) and pop operation is called then stack is said to underflow state.  Max = 4  3  Max = 4	
	2   2   0   0   0   0   0   0   0   0	
С	Stack Emply. Stack underflow state:	2M
c Ans	Define the following term w.r.t. tree: (i) In-degree (ii) out-degree.  In -degree: Number of edges coming towards node is in-degree of node.  For e.g.: In degree of node B is 1	
-	Define the following term w.r.t. tree: (i) In-degree (ii) out-degree.  In -degree: Number of edges coming towards node is in-degree of node.	1 M for each correct

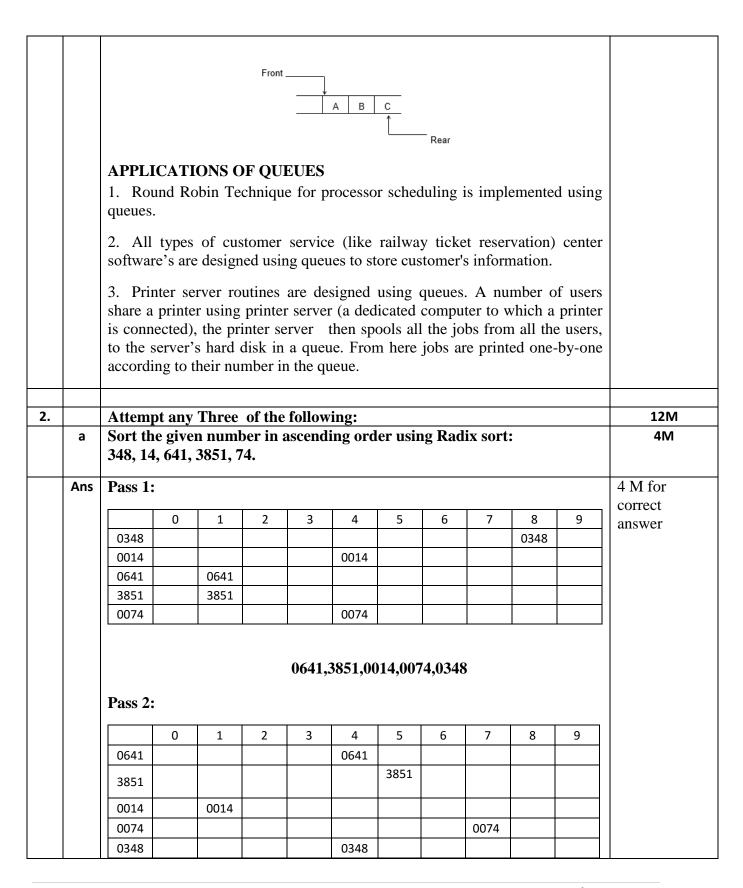


		1	1)	c G
d	luate the following ari ation: P: 4, 2, ^, 3, *,3	rithn 3,-,8	netic expro ,4 ,/,+	ession P wr
Ans	Sr. No		Symbol Scanner	STACK
	1	1	4	4
	2	2	2	4, 2
	3	3	۸	16
	4	4	3	16, 3
	5	5	*	48
	6	6	3	48,3
	7	7	-	45
	8	8	8	45,8
	9	9	4	45,8,4
l i				
	10	10	/	45,2



е	Describe directed and undirected graph.	2M
An	Direct Graph:  A directed graph is defined as the set of ordered pair of vertices and edges where each connected edge has assigned a direction.  Undirected Graph:  An undirected graph G is a graph in which each edge e is not assigned a direction.	1M for each definition with diagram
f	Give classification of data structure.	2M
An	Data Structure  Primitive Data Structure  Non-Primitive Data Structure  Integer Float Character Pointer  Arrays Lists Files  Linear Lists  Non-Linear Lists  Stacks Queues Graphs Trees	2 M for diagram
g	Define queue. State any two applications where queue is used.	2M
An		1M for definition, 1M for applications (any two)

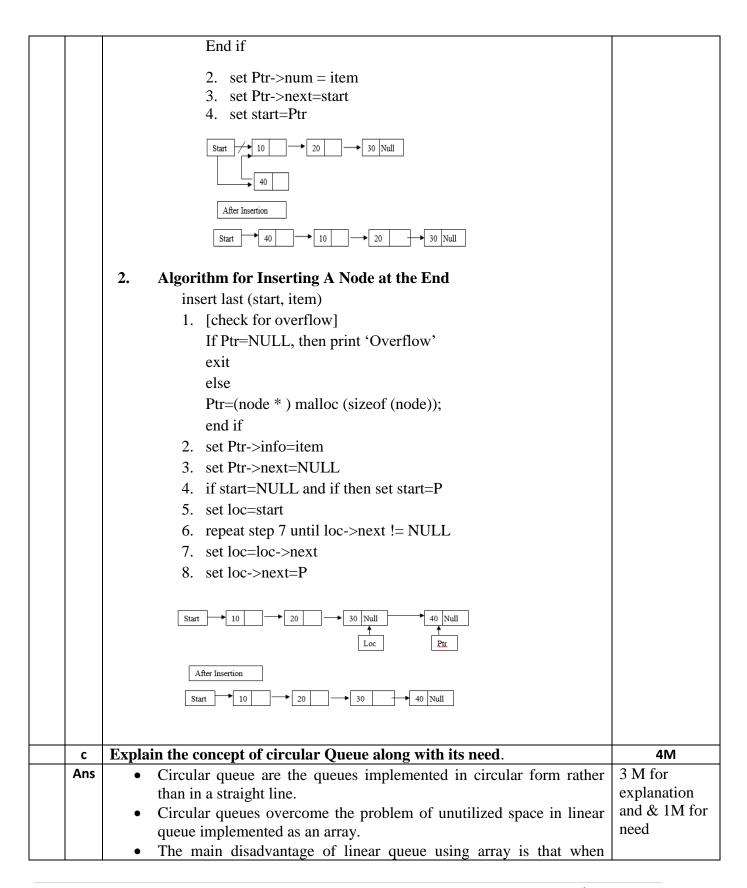






	Pass 3	:		00	14,064	1,0348,	3851,0	074				
		0	1	2	3	4	5	6	7	8	9	
	0014	0014										
	0641							0641				
	0348				0348							
	3851	0074								3851		
	0074	0074										
	Pass 4	:			0014,0	0074,03	348,064	1,3851				
		0	1	2	3	4	5	6	7	8	9	
	0014	0014										
	0074	0074										
	0348	0348										
	0641	0641										
	3851					3851						
b		an algo linked	rithm					8, 641, e begin		nd end	of the	4M
Ans	1. Alş	gorithn	Insert	first(st	art, iter	n)	e begir	nning				2M for Algorithm for inserting a node at the
			1. [c	if Ptr	ie overf =NULI		orint 'O	verflov	v'			beginning 2M for
				exit else								Algorithm for Inserting A Node at the
				Ptr=(	node *)	mallo	c (size	of (node	e))			End
			//crea	te new	node fr	om me	mory a	nd assi	gn its a	ddress	to ptr	







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elements are deleted from the queue, new elements cannot be added in their place in the queue, i.e. the position cannot be reused. After rear reaches the last position, i.e. MAX-1 in order to reuse the vacant positions, we can bring rear back to the 0th position, if it is empty, and continue incrementing rear in same manner as earlier. Thus rear will have to be incremented circularly. For deletion, front will also have to be incremented circularly. Rear can be incremented circularly by the following code. If ((rear == MAX-1) and (front !=0) Rear =0; Else Rear= rear +1; Example: Assuming that the queue contains three elements. Now we insert an element F at the beginning by bringing rear to the first position in the queue, this can be represented circularly as shown. Front 10 20 30 50 40 3 **Need of Circular Queue:** Circular queues overcome the problem of unutilized space in linear queue implemented as an array.

The element can be stored efficiently in an array so as to wrap around so that the end of queue is followed by front of the queue.

	d	Draw a binary search tree for the given number. 50, 33, 44, 22, 77, 35, 60, 40.	4M
ĺ	Ans		4 M for
			correct
			answer



	1					
		22	33 44	77 77 60		
3.		Attempt any Three of the follo	wing:			12M
	а	Explain time and space comple		th an example.		4M
		Time Complexity: Time complex computer time that it needs complexity of an algorithm we count for key statements.  Example: #include <stdio.h> void main () {     int i, n, sum, x;     sum=0;     printf("\n Enter no of scanf("% d", &amp;n);     for(i=0; i<n; i++)<="" td=""><td>to run concen</td><td>to completion trate on develo</td><td>n. To measure time</td><td>Complexity and 2M for space complexity</td></n;></stdio.h>	to run concen	to completion trate on develo	n. To measure time	Complexity and 2M for space complexity
		Statement	Frequenc	Computational Time	7	
		sum=0	1	+		
		printf("\n Enter no of data to be added")	1	t <sub>1</sub> t <sub>2</sub>	-	
		scanf("% d", &n)	1	t <sub>3</sub>	-	
		for(i=0; i <n; i++)<="" td=""><td>n+1</td><td>(n+1)t<sub>4</sub></td><td></td><td></td></n;>	n+1	(n+1)t <sub>4</sub>		
		scanf("%d", &x)	n	nt <sub>5</sub>		
		sum=sum+x	n	$\mathrm{nt}_6$		
		printf("\n Sum = %d ", sum)	1	t <sub>7</sub>		
		Total computational ting $T = n(t4+t5+t6) + (t1+t6) + (t1+t6)$ For large n, T can be $T = n(t4+t5+t6) = kn w$ Thus T = kn or	2+t3+t4 approx	4+t7) imated to	+nt6+nt5+t7	



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**Space Complexity:** Total amount of computer memory required by an algorithm to complete its execution is called as space complexity of that algorithm. When a program is under execution it uses the computer memory for THREE reasons. They are as follows...

- Instruction Space: It is the amount of memory used to store compiled version of instructions.
- Environmental Stack: It is the amount of memory used to store information of partially executed functions at the time of function call.
- Data Space: It is the amount of memory used to store all the variables and constants.

If the amount of space required by an algorithm is increased with the increase of input value, then that space complexity is said to be Linear Space Complexity.

#### **Example**:

```
int sum(int A[], int n) 
 { 
  int sum = 0, i; 
  for(i = 0; i < n; i++) 
    sum = sum + A[i]; 
  return sum;}
```

In the above piece of code it requires

'n\*2' bytes of memory to store array variable 'a[]'

2 bytes of memory for integer parameter 'n'

4 bytes of memory for local integer variables 'sum' and 'i' (2 bytes each)

2 bytes of memory for return value.

That means, totally it requires '2n+8' bytes of memory to complete its execution. Here, the total amount of memory required depends on the value of 'n'. As 'n' value increases the space required also increases proportionately. This type of space complexity is said to be **Linear Space Complexity**.

OR

**Time complexity**:- Time complexity of a program/algorithm is the amount of computer time that it needs to run to completion. While calculating time complexity, we develop frequency count for all key statements which are important and basic instructions of an algorithm.

Example: Consider three algorithms given below:-



	Algorithm A: - a=a+1	
	Algorithm B: - for $x = 1$ to n step 1 a=a+1	
	Loop	
	Algorithm C:- for x=1 to n step 1	
	for y=1 to n step 1 a=a+1	
	Loop	
	Frequency count for algorithm A is 1 as a=a+1 statement will execute only once. Frequency count for algorithm B is n as a=a+1 is key statement executes n time as the loop runs n times.	
	Frequency count for algorithm C is n as a=a+1 is key statement executes n2 time as the inner loop runs n times, each time the outer loop runs and the outer loop also runs for n times.	
	<b>Space complexity</b> :- Space complexity of a program/algorithm is the amount of memory that it needs to run to completion. The space needed by the program is the sum of the following components:-	
	<b>Fixed space requirements</b> : - It includes space for instructions, for simple variables, fixed size structured variables and constants.	
	Variable time requirements: - It consists of space needed by structured variables whose size depends on particular instance of variables. Example: - additional space required when function uses recursion.	
b	Convert the following infix expression to postfix expression using stack and show the details of stack in each step. $((A+B)*D)^(E-F)$	4M
Ans		Correct
	infix expression:	answer-4M
	(((A+B)*D)^(E-F))	

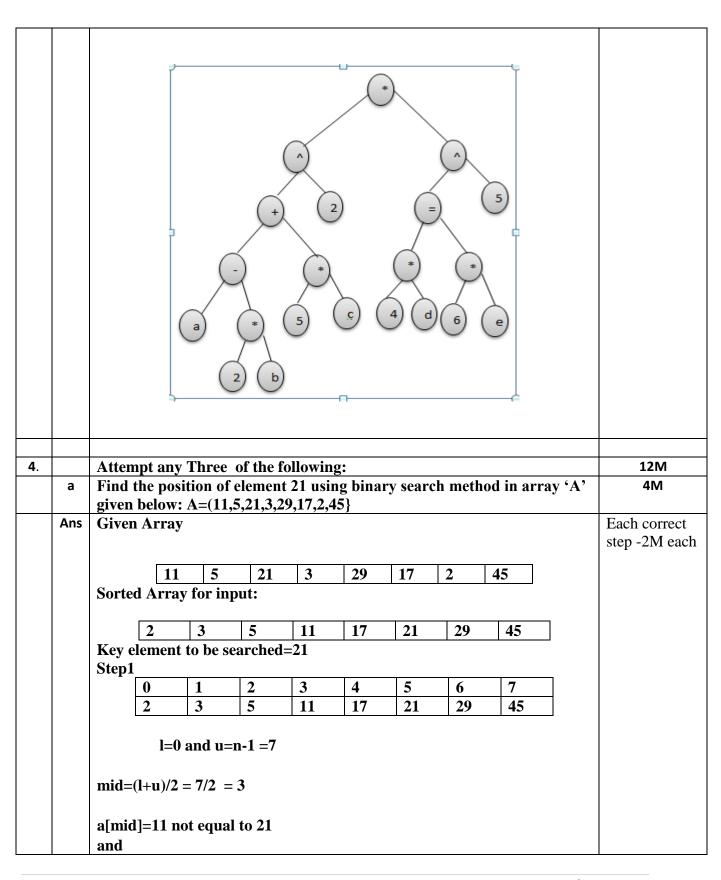


	Current Symbol	Operator Stack	Postfix array	
	(	(	Empty	
	(	((	Empty	
	(	(((	Empty	
	A	(((	A	
	+	(((+	A	
	В	(((+	AB	
	)	((	AB+	
	*	((*	AB+	
	D	((*	AB+D	
	)	(	AB+D*	
	^	(^	AB+D*	
	(	(^(	AB+D*	
	Е	(^(	AB+D*E	
	-	(^(-	AB+D*E	
	F	(^(-	AB+D*EF	
	)	(^	AB+D*EF-	
	)	EMPTY STACK	AB+D*EF-^	
	Postfix expression	1		
	nent a 'C' program to Ising Linear Search.	o search a particu	lar data from the given	4N
Ans Progra				



	# include <stdio.h></stdio.h>	2M for locio
		2M for logic
	#include <conio.h></conio.h>	And 2 M for
	void main ()	syntax
	{	
	int a[10], n, key,i,c=0;	
	clrscr();	
	printf ("Enter number of array elements\n");	
	scanf ("%d", &n);	
	printf ("Enter array elements\n");	
	for (i=0; i< n; i++)	
	scanf ("%d", &a[i]);	
	prinntf ("Enter key value\n");	
	scanf ("%d", &key);	
	for(i=0;i< n-1;i++)	
	[	
	l l	
	if (Irov. — a[i])	
	if (key == a[i])	
	{	
	c=1;	
	printf ("%d is found at location %d\n", key, i+1);	
	break;	
	}	
	J	
	}	
	if (c==0)	
	printf ("%d not present in the list\n",key);	
	getch();	
	}	
d	Draw an expression tree for the following expression:	4M
"	$(a-2b+5e)^2 * (4d=6e)^5$ .	7171
	(a-20+3e) * (4u=0e) .	C
Ans		Correct
		Expression
		tree-4M
	1	







	21 > 11	l=mid+1 = 4	4 and 1	u = 7			
	Step 2:			Г -			
		4 5		6	7		
		17 21		29	45		
	l=4 and u ='	7					
	mid= 11/2 =						
	a[mid]=21 e	equal to key elemen	t 21				
	therefore ke	ey element 21 is fou	ınt un	array at	position 6		
b	Difference k	oetween tree and gr	raph(A	Any 4 poi	nts)		4M
Ans					7 7		Any correct
		Tree			Fraph		points- 4M
		Tree is special forr			ere can be		
		of graph i.e. minimally connect		nore than raph can	one path i.e.		
		graph and having		irectional			
		only one path			paths (edges	)	
		between any two vertices.		etween no	-		
		Tree is a special ca			have loops,		
		of graph having no	_		well as can		
		loops, no circuits a	ınd   h	ave self-l	oops.		
		no self-loops.  Tree traversal is a		Franh is tr	aversed by	<del></del>	
		kind of special case		-	th First Search	n	
		of traversal of grap		-	S: Breadth		
		Tree is traversed in		irst Searc	h algorithm		
		Pre-Order, In-Order and Post-Order	er				
		Different types of			nainly two	_ ]	
		trees are: Binary		•	raphs: Directe	ed	
		Tree, Binary Searc	h a	nd Undire	ected graphs.		
		Tree, AVL tree,					



С	Treed m	Graph applications: Coloring of maps, in OR (PERT & CPM), algorithms, Graph coloring, job scheduling, etc. Tee always has n-1 lges. Tee is a hierarchical odel.  Tally linked list using data fields 21 25 96 58 74 and sho	w 4M
Ans	procedure step	-by-step with the help of diagram start to end.	correct
			construction
			3M and
	Step1:	Initially linked is empty Start=NULL	explaination 1M
		Insert node 21	1141
		Start	
		21 NULL	
		insert node 25	
	Start tra	versing linked list from start till last node of linked list and then add a new node	
		Start	
		21 25 NULL	
	Step3:	Insert node 96	
		Start	
		21 25 96 NULL	
	Step 4:	Insert node 58	
		Start	
		21 25 96 58 NULL	
	Step 5:	nsert node 74	
		Start	
		21 25 96 58 74 NULL	



	POP PUSH(30)				
Ans	Initial Stack empty				Each correct
		stack[9] stack[8] stack[7] stack[6]			step-1M
		stack[5] stack[4] stack[3] stack[2] stack[1]			
		stack[0]	top= -1		
	Step 1:	DUCII(O)			
		PUSH(0) top=top+2	1	stack[0]=10	
	10 Step 2:	stack[9] stack[8] stack[7] stack[6] stack[5] stack[4] stack[3] stack[2] stack[1] stack[0]	top=0	Stack[0]-10	
	20 10	PUSH(0) top=top+2 stack[9] stack[8] stack[7] stack[6] stack[5] stack[4] stack[3] stack[2] stack[1] stack[0]	top=1	stack[1]=20	

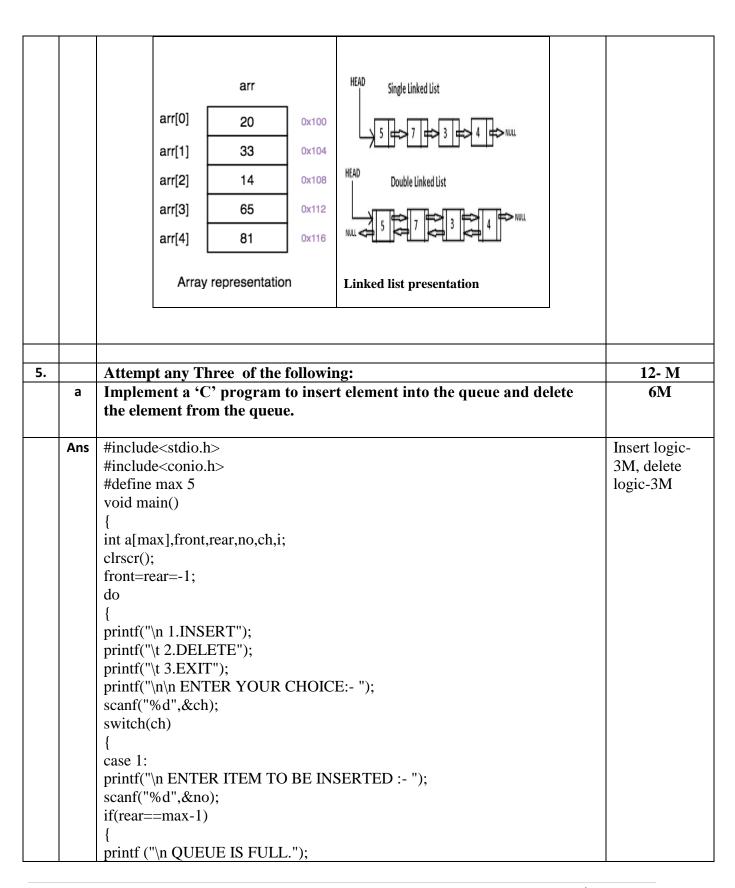


ı						
		top=	top-1	20 is deleted		
		stac	k[9]			
		stac	k[8]			
		stac				
		stac				
		stac				
		stac				
		stac				
		stac				
		stac				
		10 stac	k[0] top=0			
		Step 4:				
		PUS	H(0)			
		top=	top+1	stack[1]=30		
		stac	k[9]			
		stac	k[8]			
		stac				
		stac	k[6]			
		stac				
		stac				
		stac				
		stac				
		30 stac	-			
		10 stac	k[0]			
е	Compa	re Linked List and Arra	y (any 4 poi	nts).		4M
Ans					-	1M for each
		Linked List		Array		valid difference
		Array is a collection of		ist is an ordered		
		elements of similar data		n of elements of same		
		type.	• •	ch are connected to		
				er using pointers.		
		Array supports Random	Linked L	ist		
		Access, which means	supports	Sequential Access,		
		elements can be accessed	l which me	eans to access any		
		directly using their index		node in a linked list;		
		like arr[0] for 1st	´	to sequentially		
		element, arr[6] for 7th		the complete linked		
		element etc.		that element.		
		Cicinent etc.	nst, up to	mat viemvilt.		
 l						



<u> </u>			
	Hence, accessing	To access nth element of a	
	elements in an array	linked list, time complexity	
	is fast with a constant	is O (n).	
	time complexity of O (1).		
	In array, Insertion and	In case of linked list, a new	
	Deletion operation takes	element is stored at the first	
	more time, as the memory	free and available memory	
	locations are consecutive	location, with only a single	
	and fixed.	overhead step of storing the	
		address of memory location in	
		the previous node of linked	
		list. Insertion and Deletion	
		operations are fast in linked	
		list.	
	Memory is allocated as	Memory is allocated	
	soon as the array is	at runtime, as and when a new	
	declared, at compile time.	node is added. It's also known	
	It's also known as Static	as Dynamic Memory	
	Memory Allocation.	Allocation.	
	In array, each element is	In case of a linked list, each	
	independent and can be	node/element points to the	
	accessed using it's index	next, previous, or maybe both	
	value	nodes.	
	Array can single	Linked list can be Linear	
	dimensional, two	(Singly), Doubly or Circular li	
	dimensional or multidime	nked list.	
	nsional	inco iist.	
	Size of the array must be	Size of a Linked list is	
	specified at time of array	variable. It grows at runtime,	
	declaration.	as more nodes are added to it.	
		as more nodes are added to it.	
	Array gets memory	Whereas, linked list gets	
	allocated in	memory allocated	
	the Stack section	I -	
	and Studie Southon	in Heap section.	







```
break;
    }
    rear=rear+1;
    a[rear]=no;
    if(front==-1)
    front=0;
    break:
    case 2:
    if(front==-1)
    printf ("\n QUEUE IS EMPTY.");
    break;
    no=a[front];
    printf("\n DELETED ELEMENT IS:- %d",no);
    if(front==rear)
    front=rear=-1;
    else
    front=front+1;
    break;
    case 3:
    exit(0);
    printf("\n\n DO YOU WANT TO CONTINUE:(1 FOR YES/2 FOR NO):-");
    scanf("%d",&ch);
    }while(ch==1);
    getch();
b
    Consider the graph given in following figure and answer given
                                                                                   6M
    questions.
    1)All simple path from 1 to 5
    2)In-degree of and out-degree of 4
    3) Give Adjacency matrix for the given graph.
    4) Give Adjacency list representation of the given graph.
```



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Ans i) Nodes: 1-2-5

ii) Nodes: 1-3-2-5

2)

In degree of node 4-1, Out degree of node 4-0

3)Correct adjacency matrix:

$$A = \begin{bmatrix} 2 & 3 & 4 & 5 \\ 1 & 0 & 1 & 1 & 0 & 0 \\ 2 & 0 & 0 & 0 & 0 & 1 \\ 3 & 0 & 1 & 0 & 1 & 0 \\ 4 & 0 & 0 & 0 & 0 & 0 \\ 5 & 0 & 0 & 1 & 0 & 0 \end{bmatrix}$$

4) Adjacency list representation

Node	Adjacent nodes
1	2,3
2	5
3	2,4
4	NIL
5	3

Simple path: Each path ½
M
Each degree
½ M

Correct adjacency matrix: 2M Adjacency list representation -2M

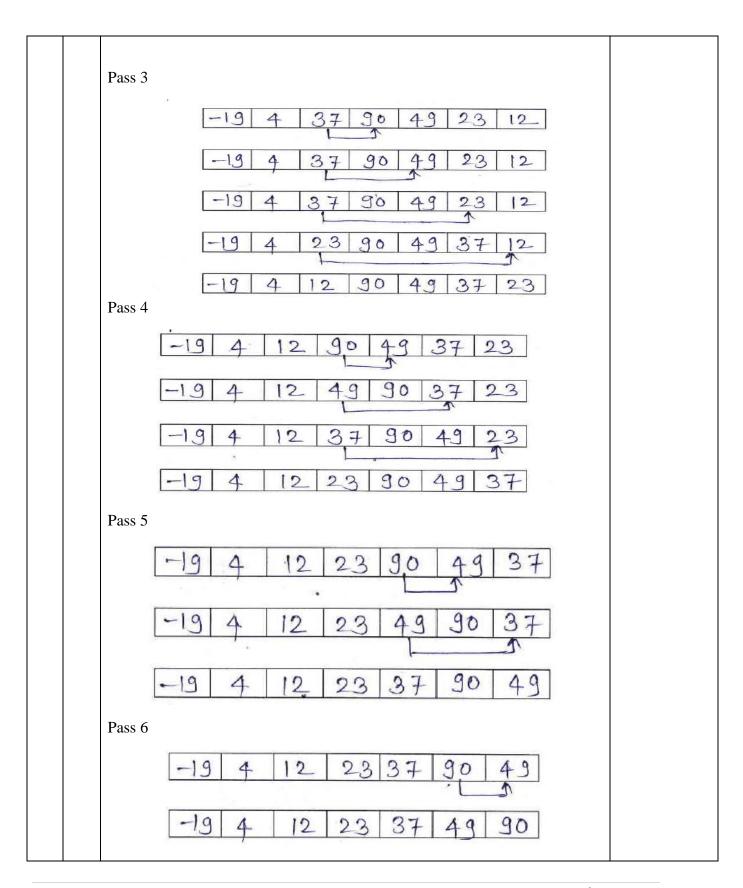


	c Ans	The state of the s	
		Write an algorithm to search a particular node in the give linked list.	6M
	Ans	Node contains two fields: info and next pointer  start pointer: Header node that stores address of first node  step 1: start step 2: Declare variable no, flag and pointer temp step 3: Input search element step 4: Initialize pointer temp with the address from start pointer.( temp=start), flag with 0 step 5: Repeat step 6 till temp!= NULL step 6: compare: temp->info = no then set flag=1 and go to step 7 otherwise increment pointer temp and go to step5 step 7: compare: flag=1 then display "Node found" otherwise display "node not found" step 8: stop	Correct steps of algorithm- 6M
6.	а	Attempt any Three of the following:  Elaborate the steps for performing selection sort for given elements of array. A={37,12,4,90,49,23,-19}	12M 6M



Ans		Correct steps:
	Pass 1	each pass-1M
	37 12 4 90 49 23 -19	
	12 37 4 90 49 23 -19	
	4 37 12 90 49 23 -19	
	4 37 12 90 49 23 -19	
	4 37 12 90 49 23 -19	
	-19 37 12 90 49 23 4	
	Pass 2	
	-19 37 12 90 49 23 4	
	-19 12 37 90 49 23 4	
	-19 12 37 90 49 23 4	
	-19 12 37 90 49 23 4	
	19 12 37 90 49 23 4	
	-19 4 37 90 49 23 12	







b	Explain the concept of recursion using stack.	<b>6M</b>				
Ans	Recursion is a process of calling a function by itself. a recursive function body contains a function call statement that calls itself repetitively. Recursion is an application of stack. When a recursive function calls itself from body, stack is used to store temporary data handled by the function in every iteration.					
	Example:					
	function call from main(): fact(n); // consider n=5					
	Function definition:					
	int fact(int n)					
	if(n==1)					
	return 1; else					
	return(n*fact(n-1));					
	In the above recursive function a function call fact (n-1) makes a recursive					
	call to fact function. Each time when a function makes a call to itself, it save					
	its current status in stack and then executes next function call. When fact ( )					
	function is called from main function, it initializes n with 5. Return statement inside function body executes a recursive function call. In this call, first					
	value of n is stored using push ( ) operation in stack (n=5) and a function is					
	called again with value 4(n-1). In each call, value of n is push into the stack					
	and then it is reduce by 1 to send it as argument to recursive call. When a					
	function is called with n=1, recursive process stops. At the end all values					
	from stack are retrieved one by one using pop ( ) operation to perform multiplication to calculate factorial of number.					
	multiplication to calculate factorial of humber.					
	f(1) POP true return 1;					
	f(2) f(2) f(2) pop false return 2*f(1) return 2*1					
	f(3) f(3) f(3) pop false false					
	return 3*f(2) return 3*f(2) return 3*2					
	f(4) f(4) f(4) f(5) f(5) f(4) f(5) f(5) f(6) f(6) f(6) f(7) f(8) f(8) f(8) f(8) f(8) f(8) f(8) f(8					
	f(5)   f(					

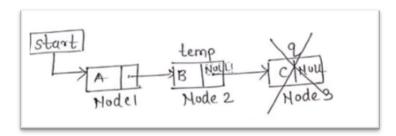


	recursive call execution. Next columns shows result of pop operation for		
	calculating factorial.		
С	Show with suitable diagrams how to delete a node from singly linked list at the beginning, in between and at the end of the list.	6M	
Ans	In a linear linked list, a node can be deleted from the beginning of list, from in between positions and from end of the list.  Delete a node from the beginning:-	Diagram for beginning- 2M, end-2M, inbetween-2M	
	Nodel Hode 2 Hode 3		
	Node to be deleted is node1. Create a temporary node as 'temp'. Set 'temp' node with the address of first node. Store address of node 2 in header pointer 'start' and then delete 'temp' pointer with free function. Deleting temp pointer deletes the first node from the list.  Delete a node from in between position:-		
	Start  Themp, 9  Node 1 Hode 2 Hode 3 Hode 4		
	Node to be deleted is node3. Create a temporary node as 'temp' and 'q'. Set 'temp' node with the address of first node. Traverse the list up to the previous node of node 3 and mark the next node (node3) as 'q'. Store address from node 'q' into address field of 'temp' node. Then delete 'q' pointer with free function. Deleting 'q' pointer deletes the node 3 from the list.		



(Autonomous) (ISO/IEC - 27001 - 2013 Certified)

## Delete a node from the end:-



Node to be deleted is node 3.Create a temporary node as 'temp' and 'q'. Set 'temp' node with the address of first node. Traverse the list up to the second last node and mark the last node as 'q'. Store NULL value in address field of 'temp' node and then delete 'q' pointer with free function. Deleting q pointer deletes the last node from the list.